

CDA3 :Uncertainties in Model Simulations

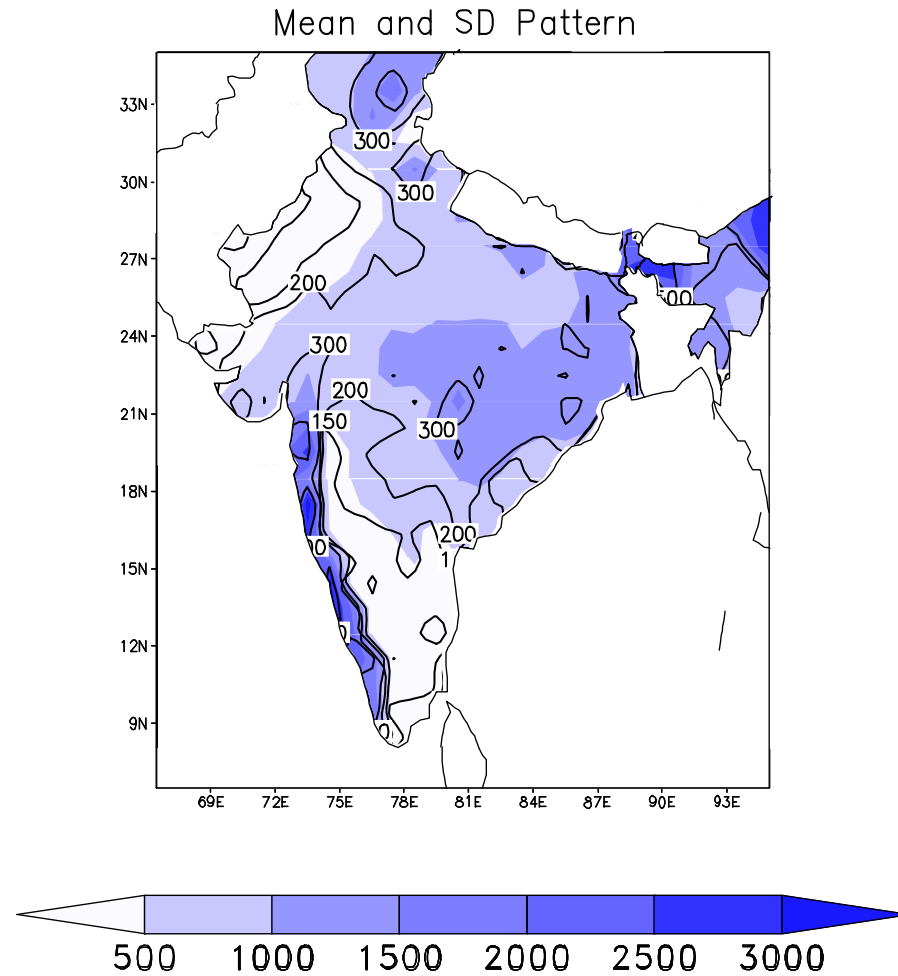
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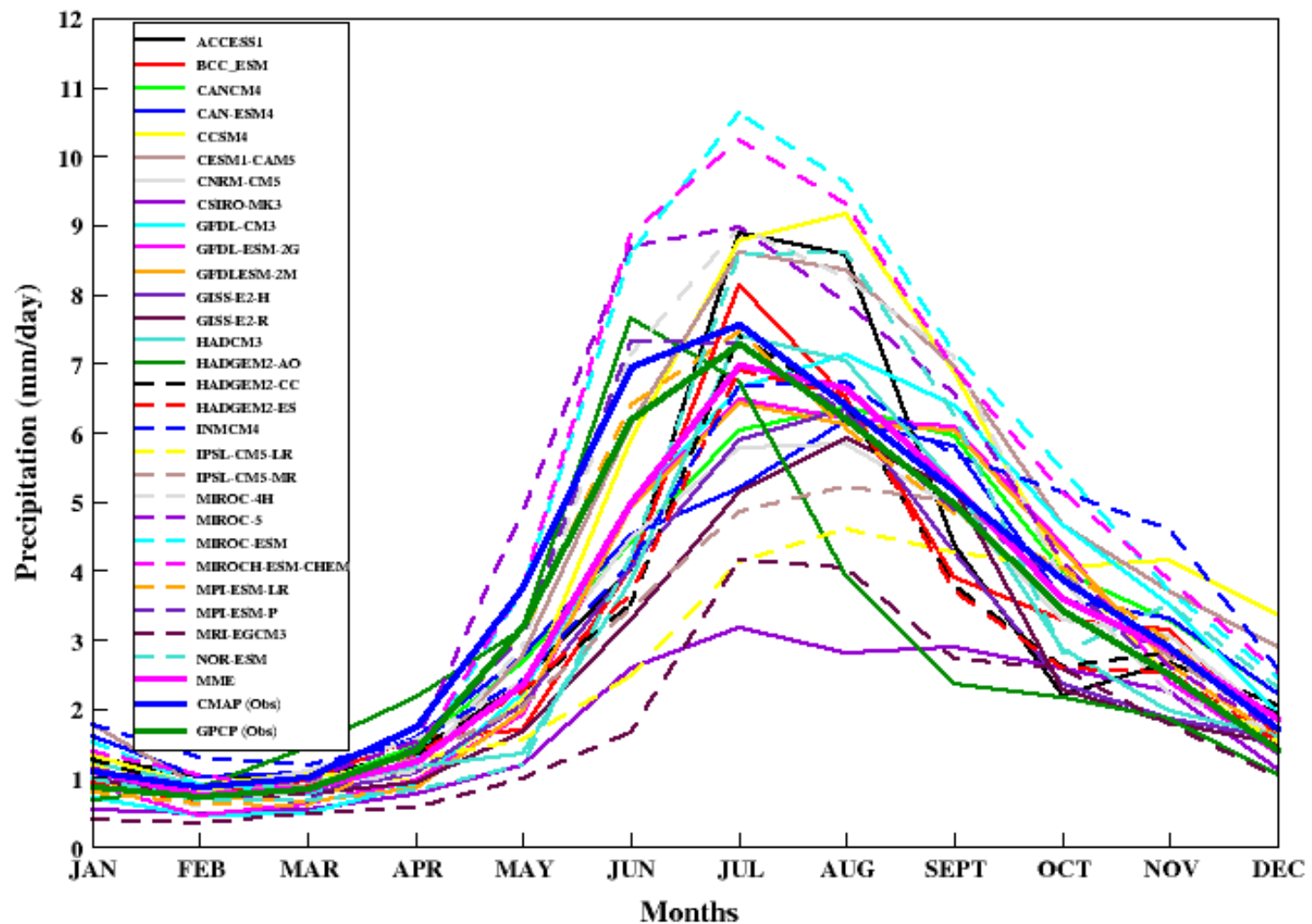
Uncertainties : disagreement among the models to simulate present climate

- Annual Cycles
- Spatial pattern
- Mean
- Variability / spread

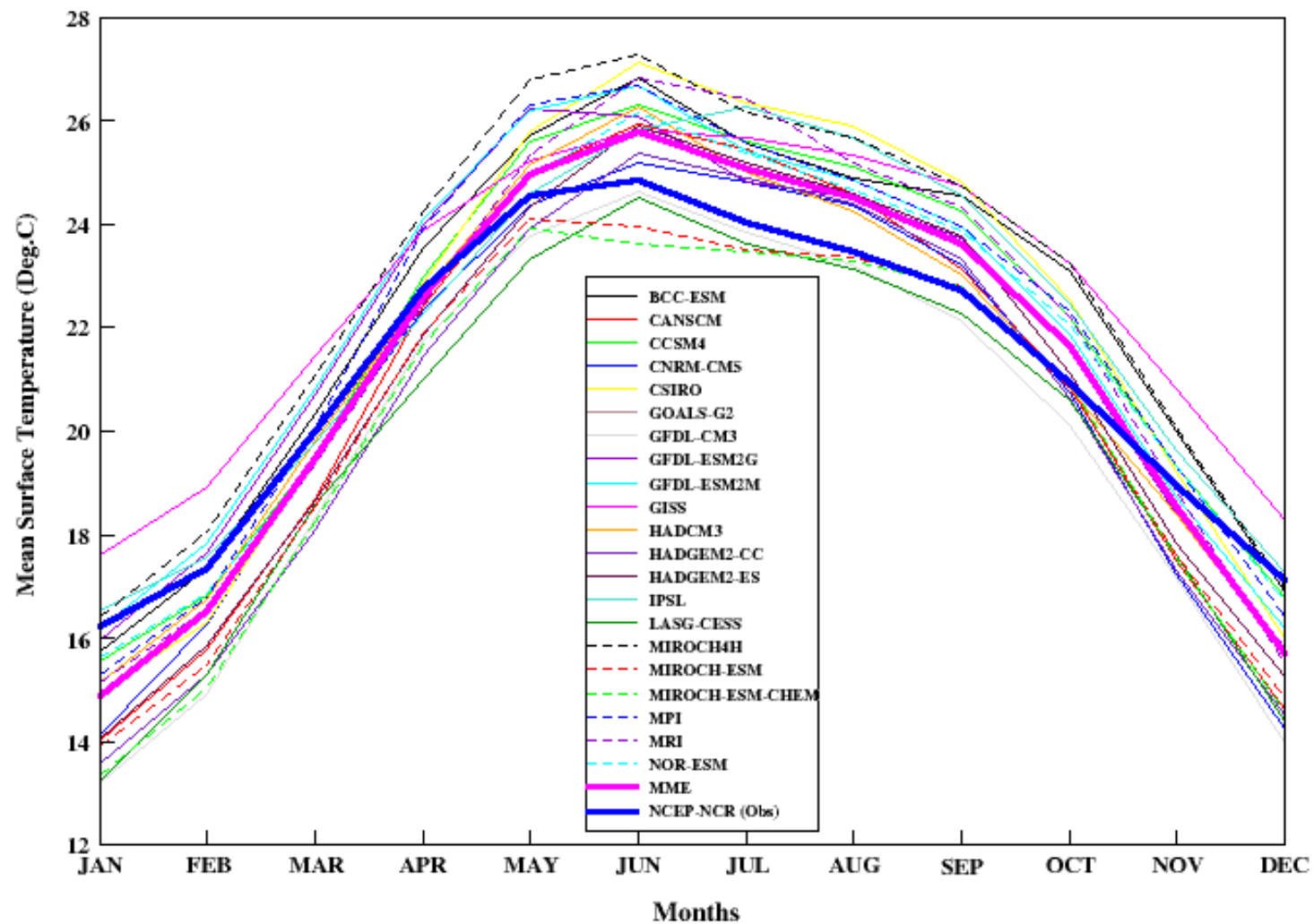
Seasonal (JJAS) Indian monsoon rainfall



Annual Cycle Rainfall : CMIP5 1986-2005



Annual Cycle Temperature : CMIP5 1986-2005



To understand model uncertainties use ensembles consisting of

- multiple model runs with different initial conditions
- Ensembles with different model physics (eg PPE)
- Number of models (multi-model ensembles)
- Combinations of all above

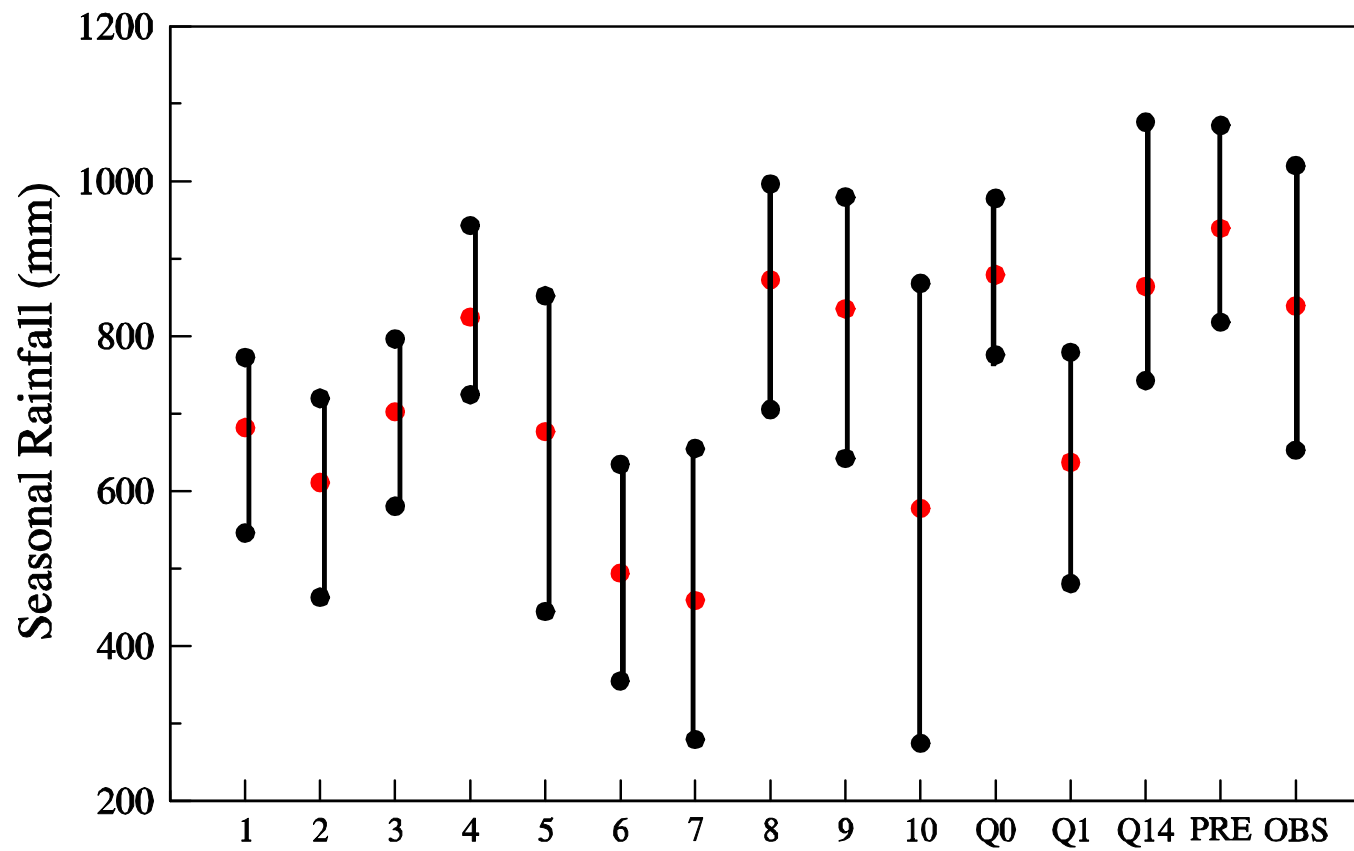
Quantification of uncertainties

- Multivariate EOF (Mu, Jackson...)
- Reliable Ensemble Averaging (Giorgi, Mearns...)
- Hierarchical Modeling/Markov Chain Monte Carlo Simulations (Katz)
- Bayesian Approach/ Hierarchical Bayesian Modeling (Jackson, Katz, Smith, Tebaldi...)
- Probability Density Functions (Collins)

Metrics to measure uncertainties in model simulations

- Bias
- Root Mean Square Error
- Standard deviation
- Pattern Correlation
- Range : Minimum and Maximum

Seasonal Rainfall Simulation : Model Performance



For your region compute

- Bias
- Root Mean Square Error
- Standard deviation
- Pattern Correlation
- Bar Diagram

Use Summer (JJAS) and winter (DJF) Rainfall and temperature
from the given RC model simulations

Formulae

Spatial : At grid i , M_i : Model value O_i : Observation

Mean Bias = $\sum(M_i - O_i)/n$ n : total # years used

RMS Error = $\sqrt{\sum(M_i - O_i)^2 / n}$

Standard Deviation (σ) = $\sqrt{\sum(M_i - \bar{M})^2 / n}$ $\bar{M} = \sum M_i / n$

Coefficient of Variation (CV) = $(\sigma / \bar{M}) * 100$

Range = $\text{Max}(M_i) - \text{Min}(M_i)$

Pattern Correlation = $\text{Corr}(M, O)$ over space

Temporal : area averaged time series , compute same measures